Fabrication of quantum point contacts by engraving GaAs/AlGaAs-heterostructures with a diamond tip

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We use the all-diamond tip of an atomic force microscope for the direct engraving of high-quality quantum point contacts in GaAs/AlGaAs-heterostructures. The processing time is shortened by two orders of magnitude compared to standard silicon tips. Together with a reduction of the line width to below 90 nm, the depletion length of insulating lines is reduced by a factor of two with the diamond probes. The such fabricated defect-free ballistic constrictions show well-resolved conductance plateaus and the 0.7 anomaly in electronic transport measurements.

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Over the last years the atomic force microscope (AFM) has been used as a flexible nanolithographic tool for the direct patterning of surfaces [1]. It offers not only a convenient and simple way to fabricate sub-micron devices but also permits in situ control of relevant sample parameters during the lithography process [2]. A successful and straightforward method is the mechanical manipulation of semiconductors surfaces by means of an AFM-tip. The feasibility of this technique has been demonstrated for various materials like GaSb [3], InAs [4] and GaAs [2, 5].

Here we present the application of the engraving technique to fabricate quantum point contact devices in GaAs/AlGaAs-heterostructures. We show that new alldiamond tips are ideally suitable for the manufacturing of defect-free ballistic channels in two-dimensional electron gases. We consider the importance of the AFM-tip material by comparing the device properties of samples patterned by a silicon tip and by a diamond tip. Because of its highest possible Mohs hardness of 10 diamond represents the ideal tip material for the engraving. For the patterning we use standard silicon tips [6] and all-diamond AFM-tips with force constants of more than 40 N/m. The latter were grown by hot-filament chemical vapor deposition of polycrystalline diamond onto a prepatterned silicon substrate. Details on the fabrication technique are given in [7].

The samples presented in this experiment are based on a modulation doped GaAs/AlGaAs-heterostructure containing a two-dimensional electron gas (2DEG) 57 nm below the sample surface with a sheet density of $4.07\times10^{15}~\mathrm{m}^{-2}$ and a mobility of $107~\mathrm{m}^2/\mathrm{Vs}$, the layer sequence is shown in Fig. 1(a). We fabricated Hall bar geometries with standard photolithography, wet-chemical etching and alloyed Au/Ge-contacts. Afterwards the samples were bonded and mounted into the AFM for the controlled engraving process. For the scribing the AFM-tip is repeatedly scanned over the Hall bar with a

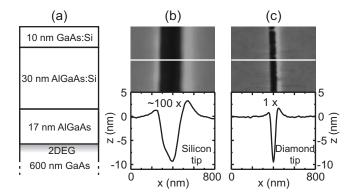


FIG. 1: (a) Layer sequence of the heterostructure. The doping concentration of the two upper layers is $\sim 0.9 \times 10^{24}~{\rm m}^{-3}$. (b)+(c) Results of the engraving with (b) a silicon tip and (c) a diamond tip. Upper part: AFM micrograph of the grooves. Lower part: depth profile along the white lines. (b) After $\sim\!100$ scans with a silicon tip, (c) after one scan with a diamond tip.

scanning speed of 0.1 mm/s and a contact force of several tens μ N. Due to this high loading force each scan removes some material of the cap layer which leads to a stepwise depletion of the underlying 2DEG. During the whole lithography procedure the sample resistance is monitored to control the fabrication progress. The total depopulation of the 2DEG is marked by an abrupt raise of the sample resistance to more than 3 M Ω . For more details on our patterning procedure see Ref. [2].

In Fig. 1(b) we show an AFM-image of an engraved line that was scribed with a Si-tip by applying 50 μ N as loading force and scanning the tip \sim 100 times over the surface. The resulting line has a width of 250 nm. The depth $z\sim9$ nm suffices for this heterostructure for the total depletion of the 2DEG underneath the groove.

We achieve much narrower lines of 90 nm width and the same depth $z \sim 9$ nm by using an all-diamond probe as shown in Fig. 1(c). The displayed groove was manufactured by scanning the diamond tip once over the surface with a similar contact force as for Si. Compared to the former results in Fig. 1(b) the engraving process for e.g. a 100 μ m line is substantially reduced by nearly two orders of magnitude from minutes to a few seconds. The reduction of the line width from 250 nm to 90 nm is mainly explained by the severe tip wear of the Si-tip during the writing process. After the engraving we measured the radius of the Si-tip and the diamond tip by scanning electron microscopy. Whereas the Si-tip radius increased by a factor of 10 to more than 100 nm, images of the diamond tips yielded a radius of below 50 nm before and after the fabrication. As expected the tip wear for diamond is almost negligible. In fact, we used this diamond tip for the fabrication of more than 40 devices without any observation of tip degradation. In contrast, a silicon tip can only be utilized once in most cases.

To compare the electronic properties of the lines fabricated by the different tips we defined two 1D channels by engraving constrictions into the GaAs/AlGaAsheterostructure. The regions separated from the constriction by an insulating groove serve as in-plane gates. The upper insets of Fig. 2(a) and Fig. 2(b) show the constrictions engraved with the diamond tip and (b) the Si-tip. Both constrictions were electrically characterized in a pumped 3 He-cryostat providing a base temperature of T=350 mK.

In Fig. 2 the differential conductance $G=dI/dV_{SD}$ of the diamond (a) and the silicon-patterned sample (b) is shown. For the measurement we used a standard lock-in technique at an excitation voltage of $V_{SD,ac}=60~\mu\mathrm{V}$ at 13 Hz. The two conductance curves presented in Fig. 2 were recorded by varying only a single in-plane gate whereas the second gate was kept at a fixed potential. A constant series resistance of the contacts and the 2DEG was subtracted. A schematic picture of the measurement setup is shown in the lower inset of Fig. 2(b).

The curve in Fig. 2(a) corresponding to the diamond-patterned sample shows flat quantized plateaus at multiple integers of $2e^2/h$. This indicates the formation of a ballistic quantum point contact [8] formed by an adiabatic potential without any impurities. The appearance of the conductance plateaus demonstrates that the grooves scribed with the diamond tip define a smooth potential without significant fluctuations. In contrast, the conductance of the silicon-patterned sample, shown in Fig. 2(b), exhibits only a few poorly resolved conductance plateaus.

For further characterization of the diamond-patterned sample we applied an additional dc source-drain bias voltage V_{SD} that allows us to determine the 1D-subband spacing [9]. The transconductance dG/dV_{IPG} derived numerically from these measurements is plotted as a function of V_{IPG} and V_{SD} in the grey scale plot in Fig. 3(a). The corresponding conductance is given by

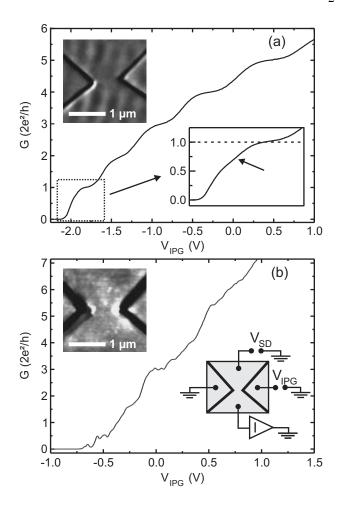
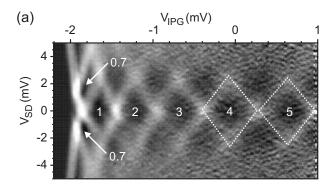


FIG. 2: Differential conductance $G(V_{IPG}) = dI/dV_{SD}$ in units of $2e^2/h$ as a function of in-plane gate voltage: (a) Sample patterned by a diamond tip. Left inset: AFM-image of a constriction formed by a diamond tip. Right inset: Magnification of the first conductance step. The arrow marks the 0.7 anomaly. (b) Silicon-patterned sample. Left inset: AFM-image of a Si-patterned constriction. The schematic on the right sketches the measurement setup.

the numbers inside the dark regions and the diamonds for $G = 4(2e^2/h)$ and $G = 5(2e^2/h)$ are marked with dashed lines. The crossing of adjacent zero-bias peaks N and N+1 at finite bias eV_{SD} reveals the energy spacing $\Delta E_{N,N+1} = eV_{SD}$ ranging from $\Delta E_{2,3} =$ $2.5(\pm0.1)$ meV for the second and third subbands to $\Delta E_{4.5} = 2.3(\pm 0.1)$ meV. Whereas the subband spacing in split gate devices at higher subband indices drastically decreases we observe only a slight reduction for our sample at N > 1. This indicates that the shape of confinement inside the constriction remains nearly unaffected by the gate voltage and is only shifted up and down. Assuming a harmonic confinement potential and a gate voltage dependent potential barrier we deduce a value of $w \sim 160 \text{ nm}$ for the electronic width of the constriction at zero gate voltage with \sim five occupied subbands. The depletion length for the diamond tip then can be deter-



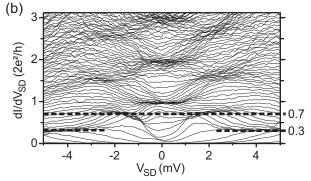


FIG. 3: (a) Grey-scale plot of the transconductance dG/dV_{IPG} obtained from the diamond-patterned sample at a temperature of T=350 mK. The gate configuration is the same as in Fig. 2(b). Dark regions correspond to low transconductance (plateaus) and light regions reflect high transconductance (plateau transitions). The numbers denote the occupied subbands. The location of the 0.7 plateaus is marked by the arrows. (b) Differential conductance as a function of dc source-drain voltage taken at fixed gate voltages. The additional plateaus at 0.7 are marked by a dashed line.

mined to $w_{depl} \sim 180$ nm which nearly is half the length of $w_{depl} \sim 330$ nm extracted for the silicon-patterned sample. The larger depletion length of the silicon tip as well as the creation of significant potential fluctuations

are probably related to an enhanced formation of surface defects caused by the increased number of scans.

By inspection of the first conductance step in the right inset of Fig. 2(a) we observe an additional shoulder close to 0.7 $(2e^2/h)$. In the grey scale plot in Fig. 3(a) this shoulder leads to additional plateaus for finite bias voltages at $G < 2e^2/h$ marked with arrows. This can be seen more clearly in Fig. 3(b), where we plotted $G = dI/dV_{SD}$ as a function of dc source-drain voltage taken at fixed gate voltages. Whereas the majority of the plateaus appear at multiples of $2e^2/h$, below $2e^2/h$ extra plateaus appear at $0.3(2e^2/h)$ and $0.7(2e^2/h)$ marked by the horizontal dashed line. The so-called 0.7 anomaly [10] is an indicator for very clean one-dimensional channels and is considered to be caused by electron-electron interactions. The exact underlying mechanism of this structure is still not clarified but it is an intrinsic property of low-disorder quantum point contacts. Together with the well-resolved plateaus the appearance of the 0.7 anomaly shows that we scribed an adiabatic-like constriction free from significant potential fluctuations with the diamond tip.

In conclusion, we fabricated quantum point contact devices by engraving a constriction into a GaAs/AlGaAsheterostructure with the tip of an atomic force microscope. To study the influence of the tip material we engraved devices using both a silicon tip and a diamond tip. It turned out that a diamond tip is almost perfect not only on the basis of a fast and simple processing but also in forming proper potential profiles to observe ballistic electron transport. The appearance of the 0.7 $(2e^2/h)$ conductance anomaly confirms the high-quality of diamond-engraved devices. We deduced the depletion lengths induced by the different tips yielding $w_{depl} \sim 180$ nm for diamond-engraved samples which is roughly two times smaller than typical depletion lengths in silicon-patterned devices.

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see e.g., A. Fuhrer, S. Lüscher, T. Ihn, T. Heinzel, K. Ensslin, W. Wegscheider, and M. Bichler, Nature 413, 822 (2001).

^[2] H. W. Schumacher, U. F. Keyser, U. Zeitler, R. J. Haug, and K. Eberl, Appl. Phys. Lett. 75, 1107 (1999).

^[3] R. Magno and B. R. Bennett, Appl. Phys. Lett. 70, 1855 (1997).

^[4] J. Cortes Rosa, M. Wendel, H. Lorenz, J. P. Kotthaus, M. Thomas, and H. Kroemer, Appl. Phys. Lett. 73, 2684 (1998).

^[5] C. K. Hyon, S. C. Choi, S.-H. Song, S. W. Hwang, M. H. Son, D. Ahn, Y. J. Park, and E. K. Kim, Appl. Phys. Lett. 77, 2607 (2000).

^[6] Tapping-mode probes made by Nanosensors.

^[7] A. Malavé, K. Ludolph, T. Leinhos, Ch. Lehrer, L. Frey, E. Oesterschulze, Applied Physics A, in press.

^[8] For example, see C. W. J. Beenaaker and H. van Houten, in Quantum Transport in Semiconductor Nanostructures, Solid State Physics, Vol. 44, Academic Press, (1991).

^[9] N. K. Patel, J. T. Nicholls, L. Martín-Moreno, M. Pepper, J. E. F. Frost, D. A. Richtie, and G. A C. Jones, Phys. Rev. B 44, 13549 (1991).

^[10] K. J. Thomas, J. T. Nicholls, M. Y. Simmons, M. Pepper, D. R. Mace, and D. A. Richtie, Phys. Rev. Lett. 77, 135 (1996).